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Grothendieck fibrations have played an important role in homotopy theory. Among others, they were used by Thomason to describe homotopy colimits of small categories and by Quillen to derive long exact sequences of higher K-theory groups. We construct simplicial objects, namely the fibred and the cleaved nerve, to characterize the homotopy type of a Grothendieck fibration by using the ...

[0810.3063v1] Grothendieck fibrations and classifying spaces
arXiv:0810.3063v1 [math.AT] 17 Oct 2008 Grothendieck fibrations and classifying spaces Matias L. delHoyo Departamento de Matematica FCEyN, Universidad de Buenos Aires

Grothendieck fibrations and classifying spaces
I'm totally not an expert on this, so I may be saying nonsense but doesn't one have by a result of Thomason that $B\mathcal{D}$ is homotopy equivalent to a homotopy colimit of the classifying spaces of these groupoids induced by the action of C , or something like that? — Benjamin Steinberg May 15 '13 at 19:03

Grothendieck fibrations and classifying spaces - MathOverflow
Grothendieck laid a new foundation for algebraic geometry by making intrinsic spaces ("spectra") and associated rings the primary objects of study. To that end he developed the theory of schemes, which can be informally thought of as topological spaces on which a commutative ring is associated to every open subset of the space.

Alexander Grothendieck - Wikipedia
Download Ebook Grothendieck Brations And Classifying Spaces Arxiv Grothendieck Brations And Classifying Spaces 1.1 Generalized spaces and their categories of sheaves Let us elaborate on the underlying question. Grothendieck discovered a huge generalization of the notions of topology and continuity, with a generalized space Page 5/30

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Get Free Grothendieck Brations And Classifying Spaces Arxiv COMPLETIONS AND FIBRATIONS FOR TOPOLOGICAL MONOIDS CATEGORIES AND CLASSIFYING SPACES To a category G one can associate a semi-simplicial set NC , which one might call the nerve of C , by taking the objects of G as vertices, the morphisms as i -simplexes, the triangular commutative Page 12/28

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2. Classifying spaces Let G be a discrete group. Later on, we will assume that G is finite. 2.1. Definition. A classifying space for G is a pointed connected CW-complex BG such that $\pi_1 BG$ is isomorphic to G and $\pi_i BG$ is trivial for $i > 1$. 2.2. Remark. We will usually assume that a classifying space BG for G comes with a chosen isomorphism $\pi_1 BG \cong G$. 2.3.

CLASSIFYING SPACES AND HOMOLOGY
CLASSIFYING SPACES AND SPECTRAL SEQUENCES GRAEME SEGAL The following work makes no great claim to originality. The first three sections are devoted to a very general discussion of the representation of categories by topological spaces, and all the ideas are implicit in the work of Grothendieck. But I think the

Classifying spaces and spectral sequences
results for Grothendieck toposes (bounded S -toposes) as generalized spaces. The main result is to show how an extension map $U: T \rightarrow T_0$ can be viewed as a bundle, transforming base points (models of T_0 in any elementary topos S with nno) to bres (generalized spaces over S). Features of the work include analysis of strictness of models, using

Arithmetic universes and classifying toposes
topologized Grothendieck group M associated to a monoid M and the homotopy theoretic group-completion M^+ defined as $\mathbb{B}M$ obtained via classifying space theory. We also show the existence of principal fibrations for the Grothendieck group completions of pairs in the same category, which certainly makes this completion a very convenient functor.

COMPLETIONS AND FIBRATIONS FOR TOPOLOGICAL MONOIDS
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Forever On The Mountain Truth Behind One Of ...
The classifying space is given by the bar construction $B(\mathcal{A}ut(F))$ and the universal fibre sequence is $F \rightarrow B(\mathcal{A}ut(F)) \rightarrow B(\mathcal{A}ut(F))$. It follows from the previous Theorem 5.9 that this is indeed a fibre sequence of simplicial sheaves.

CLASSIFYING SPACES AND FIBRATIONS OF
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Wills And Probate
More generally, for any localic groupoid G (i.e. groupoid internal to the category of locales, in the sense of section 5.3), there exists a Grothendieck topos $Sh(G)$ classifying G -principal bundles. By a theorem of Joyal and Tierney (cf.), every Grothendieck topos can be represented in this form.

Topos-theoretic background - Olivia Caramello
Since the empty geometric theory has a unique model in any Grothendieck topos, its classifying topos is the terminal Grothendieck topos, namely Set . Note that Set has no non-trivial subtoposes. Thus relative to the empty signature, the empty theory is complete: either a sequent follows from $\{ \}$ or $\{ \}$ is inconsistent.

classifying topos in nLab
0-reduct is M , and so we get a classifying topos $p: S[T \rightarrow M]$. As a generalized space (relative to base S), we view it as the bre of U over M . Our main result (Theorem 8.2) is that if U is an (op) bration in Con , using the Chevalley criterion, then p is an (op) bration in $ETop$, using the representable definition.

FIBRATIONS OF AU-CONTEXTS BEGET FIBRATIONS OF TOPOSES
Its other major result proves a direct extension of Thomason's Homotopy Colimit Theorem to bicategories: When the homotopy colimit construction is carried out on a diagram of spaces obtained by applying the classifying space functor to a diagram of bicategories, the resulting space has the homotopy type of a certain bicategory, called the Grothendieck construction on the diagram.